

Shear Behavior and Ductility Connections in Partial Prestressed Concrete Beam-Column Reinforced Concrete Frame Structure Story Building Due to Cyclic Lateral Loads

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Received: April 26, 2016

Accepted: June 9, 2016

ABSTRACT

This study specifically create a model specimen beam-column Interior connections using elements Partial Prestressed Concrete Beams with Reinforced Concrete Column. Dimensional cross section of the beam 250/400 mm and column section 400/400 mm. Shear on retaining structure beam-column connections using horizontal shear reinforcement in the form of stirrups \varnothing 10-50 mm to fill the empty space $b_j = 288$ mm. Shear load capacity plans on shear stirrups = 103.62 kN and shear force capable detained by the structure beam-column connections are $V_{jh} = 409$ kN. Using a parabolic arch 1 tendon with 2 Strand respectively D 12.7 mm. Experimental tests carried out in laboratory with cyclic loading (pseudo dynamic) lateral controlled by Drift Ratio, and static axial load of 640 kN on the top column as a stabilizer. The test results demonstrate the ability of specimen restrain force Ultimate Lateral Cyclic conditions: Load push (press) = 470.90 kN and Load pull = 465.80 kN. The result is very good in resisting shear press or Pull, namely above 409 kN. Structures ductility on drift ratio of 3.50% of all $\mu > 4.0$, are also eligible. Structures has the overall modeling good behavior and qualify as earthquake resistant buildings.

KEYWORDS: *Beam-Column Joint, shear Behavior, ductile, Earthquake Resistant.*

1. INTRODUCTION

Investigation of building collapse post- earthquake the region hit by an earthquake lately in Indonesia, such as the an earthquake in Aceh (2004), Yogyakarta (2006), West Sumatra (2009), largely due to a design fault of elements structure beam-column connection, because the principle of strong column -weak beam less attention design⁽¹⁾, namely the lack of transverse reinforcement at the core of the beam-column connections which serves as a barrier horizontal shear in the column, in accordance with SNI 2847: 2013 clause 21.7. 21.7.1 to 21.7.4⁽²⁾, for the beam-column joint special moment frames forming part of the an earthquake force resisting system.

Some references on beam-column joint research among others: B Roger W G and Robert Park⁽³⁾, research conducting Experimental prestressed concrete beam-columns joint Exterior resistance to earthquake loads. Magdi T E S, et al⁽⁴⁾, examined an earthquake behavior and design of precast concrete frame post-tension without adhesions. Kashiwasaki T and Noguchi H⁽⁵⁾ examined the model of prestressed concrete structures on the beam-column connections Interior. Murahidy et al⁽⁶⁾ studied the construction and testing with dynamic wobble precast reinforced concrete building frame post-tension with ADAS element.

From some of these references, so in this study will examine the behavior of shear and ductility connection partial prestressed concrete beam-reinforced concrete column on the frame structure story building due to lateral cyclic loading.

2. THEORY

Beam-Column Joint

Test on joint and beams have shown that the shear strength is not sensitive to the shear reinforcement along the span. Then the ACI 318-08 Code⁽⁷⁾ assumes joint force only as a function of the compressive strength of concrete that requires a minimum amount of transverse reinforcement in the joint. Tests on beam-column joint have shown that the shear strength is not sensitive to shear along the span. A force on joint only as a function of the strength of concrete which requires a minimum amount of reinforcement across the joint. Shear sectional area (A_j) should not be $>$ gross cross section area (A_g) of the column. The minimum shear strength of the joint is determined not to be $>$ V_n specified below-normal weight for concrete.

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- 1). Restraint on all blocks that assemble into columns in front of the joint :

$$V_n \leq 20\sqrt{f'_c} \cdot A_j \quad \dots \dots (2.1)$$

- 2). Restraints in the three face or two faces opposite columns :

$$V_n \leq 15\sqrt{f'_c} \cdot A_j \quad \dots \dots (2.2)$$

- 3). All other cases :

$$V_n \leq 12\sqrt{f'_c} \cdot A_j \quad \dots \dots (2.3)$$

A framework of beams considered to provide confinement to the joint only if at least three quarters of the joint is covered by the beam. V_n value is allowed to be reduced by 25% if used in lightweight concrete. In addition, the test data shows that the value of equation (2.3) is not conservative when applied to the joint angles. A_j = effective cross-sectional area in the joint, the condition of flat parallel to the plane of shear reinforcement on the average produce joint. Assumes that the horizontal shear in the joint is determined on the basis that the flexural tensile stress in the steel $f_y = 1.25$. Figure 1 shows the forces acting in the beam-column relations in the joint⁽⁸⁾.

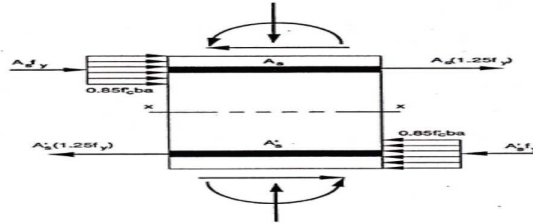


Figure 1. Horizontal shear force on the Beam-Column Joint (Fanella David A, Munshi Javeed. A, 1998)

Reinforcement distribution on the Joint

For reinforcement bar sizes 3 to No. 11 ends in a joint exterior with standard hooks 90 ° on the normal concrete, length delivery outside face of the column l_{dh} , as required by ACI 318-2008⁰ regulations, shall not be less than the value of the largest of the equation (2.4), (2.5) and (2.6) the following :

$$l_{dh} \geq \frac{f_y \cdot d_b}{(65 \sqrt{f'_c})} \quad \dots \dots (2.4)$$

$$l_{dh} \geq 8 d_b \quad \dots \dots (2.5)$$

where d_b = bar diameter.

$$l_{dh} \geq 6 \text{ inch} \quad \dots \dots (2.6)$$

Length distribution given out advance column should not be less than $l_d = 2.5 l_{dh}$ when the depth of the concrete cast in one ride down the slope reinforcement exceeds 12 " All straight bar ends on the joint reinforcement required for confinement passes through the core of a column or shear wall boundary rods. Every part, no longer restrained planting in the core must be increased by a factor of 1.6.

State of the Art Shear ductility of Beam-Column Joint

Uma and Prasad⁽⁹⁾ conducts research on the seismic behavior of beam-column connections reinforced concrete skeleton. Aspects examined included: the force on beam-column connection, shear forces on the contribution mechanisms of connection, bonding requirements, factors affecting the strength of the bond, the requirements of sliding joints. Analysis of sliding in the connection, more details are described as follows:

1). Shear force at beam-column joint Interior.

Horizontal shear force across the joint can be obtained based on the criteria of balance. See arch bending moments, moments M_s and M_h work on the advance with the opposing forces on the joint between the beams are stringing. Assuming symmetrical reinforced beams, tensile force T_b and compressive force C_b done in reinforcement beams. Slide the vertical beam on the face of the joint is V_b . Assuming the shear force $C_b = T_b$, slide on the columns = V_{col} , from forces above is calculated as the equilibrium criterion.

$$V_{col} = \frac{2T_b \cdot Z_b + V_b \cdot h_c}{l_c} \quad \dots \dots (2.7)$$

wherein:

l_c = height of the floor (the Fig. 2.2(a); h_c = height of the column; Z_b = the lever arm

Given the slope of the moment in the joint core, horizontal shear force, v_{jh} can be written:

$$V_{jh} = V_{col} \left(\frac{l_c}{Z_b} - 1 \right) - V_b \left(\frac{h_c}{Z_b} \right) \quad \dots \dots \dots (2.8)$$

2).The Joint Shear strength

Joint shear strength is strongly influenced by the parameters that influence the two principles against sliding mechanism. Total force contributed by each mechanism can be considered as the shear strength of the joint in the horizontal direction is calculated by:

$$V_{jh} = V_{ch} + V_{sh} \quad \dots \dots \dots (2.9)$$

where V_{ch} is the contribution of the concrete strut and V_{sh} is a contribution of the truss mechanism. Contribution of each mechanism is influenced significantly by the prevailing conditions of the bond as discussed in the previous section (Figure 2, 3, 4)

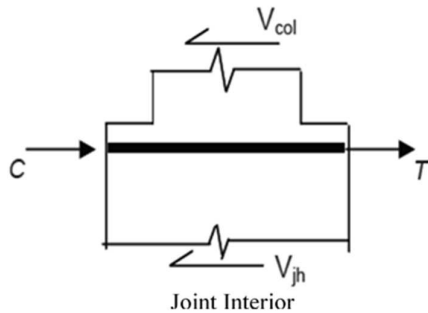


Figure 2. Balance on Joint shear
(Uma & Meher Prasad, 2006)

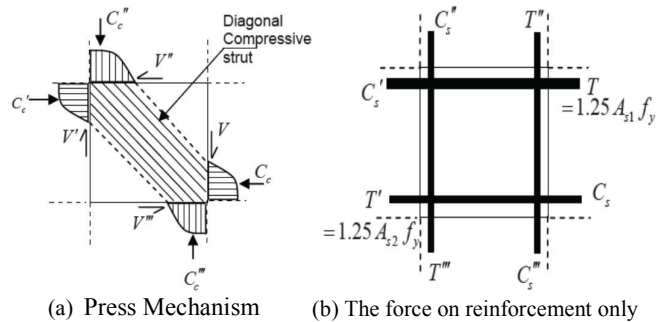


Figure 3. Idealization of the behavior of Beam-Column Joint
(Uma & Meher Prasad, 2006)

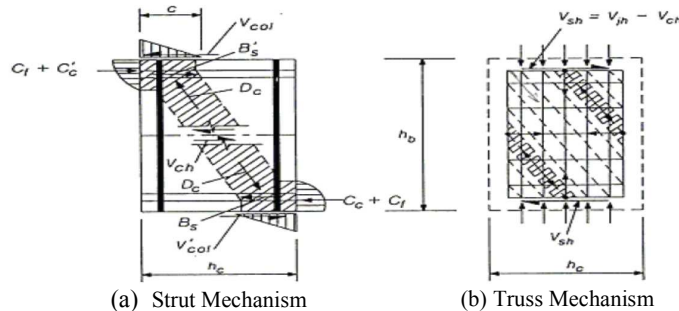


Figure 4. Slide resistance mechanisms
(Uma & Meher Prasad, 2006)

Of reference the results this research, the idea arose to investigate the shear capacity of the joint partially prestressed concrete beams with reinforced concrete columns, shear ductility in particular reliability, to avoid story frame structure of shear failure due to lateral seismic loads. This study is the continuity of the previous year studies that have examined about bending ductility of the structure model of the same order. State of the Art this research is to explore and find the idea of the results of previous studies that the researchers "Column-Behavior Relations Slide Concrete Beams on the Framework Struktural Daktil as Environmental Building a Reliable and Safe Housing"

3. METHODOLOGY

The manufacture Specimen

Concrete compressive strength f'_c plan $\cong 40$ Mpa, yield stress steel $f_y = 400$ MPa, f_y prestressing steel quality ≥ 1000 MPa. Preliminary test objects including concrete and tensile steel tendons, have been made in the implementation of research years ago. So in this study is planned immediately make Beam-Column Joint interior structure element model consisting of partially prestressed beam elements and reinforced concrete columns with shear reinforcement in accordance with the design results. Beam section dimensions of 250/400 mm, column section 400/400 mm. Specifications of the test objects are arranged in the following table 1.

Table 1. Specifications and criteria of the test specimen

Element Struktur	Element of Structure (cm)	Longitudinal Reinforcement	Stirrups	Tendons amount	Specimens amount
Interior Beam-Column Joint	Beam 25/40	Tensile Bar 5D ₁₃	Ø8 - 75	1 (2Strand)	1
	Column 40/40	Compressive Bar 3 D ₁₃	Ø10 -50	-	

The draft results of specimens shaped Beam-Column Joint interiors that are resistant to earthquake lateral shear forces such as sketch the following picture (Figure 5):

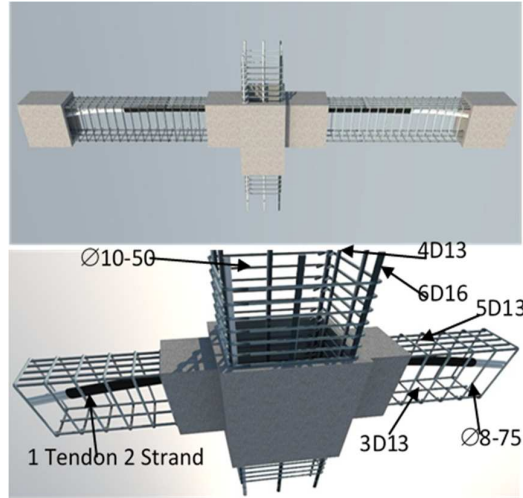


Figure 5. Design Interior Joint Spesimen

Design of limit Tendon area.

Design tendon area (cgs) is in the form of parabolic arch with curved peak there on axles the column, and is smooth on the ends of the beams are right in the center of gravity beam section (CGC). Parabolic Curve formula is: $y = (4f \cdot x (L-x)) / L^2$, produce curve tendon as shown below (Figure 6):

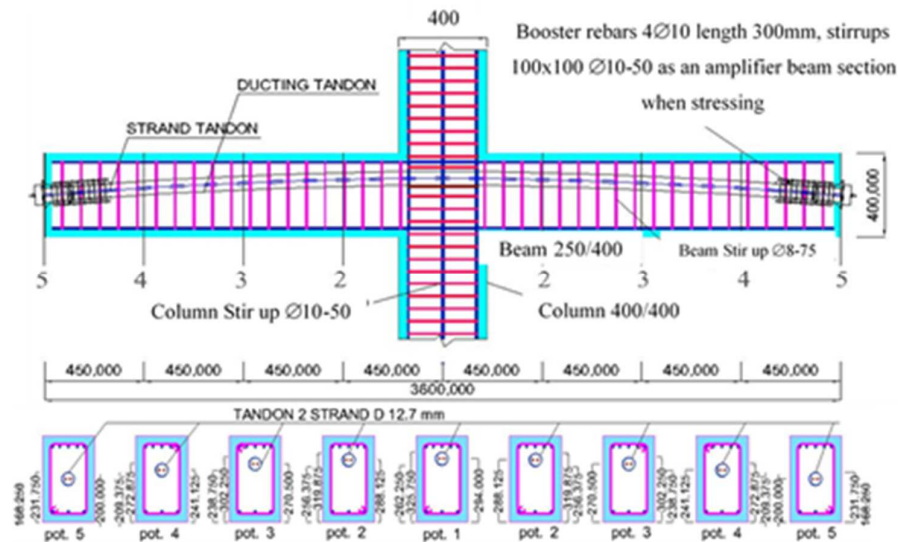


Figure 6. Curve limit Tendon area

Shear reinforcement Design in the joint

Actuator = 1000 kN capacity, effective 80% = $0.8(1000)=800\text{ kN}$.

For the design load capacity of the structure, all the specimens were taken into account in the structural condition of the elastic condition, so the structure has not been cracked. For Beam-Column Joint specimens Interior:

The actuator moment due to lateral force P:

800 kN.(1,00 m) = 800 kNm, a primary moment. Members stiffness (Figure 7):

$$k_{1,3} = \frac{3EI_1}{L_1} = \frac{3 \cdot \frac{1}{12} \cdot 25.40^3}{160} = 4,0; \quad k_{2,4} = \frac{3EI_2}{L_2} = \frac{3 \cdot \frac{1}{12} \cdot 40.40^3}{130} = 6,4;$$

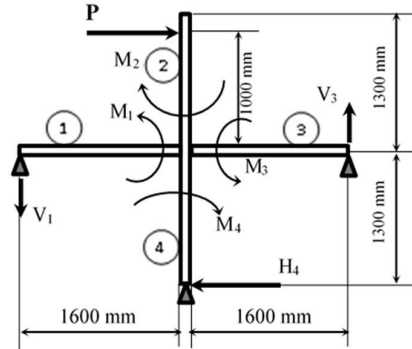


Figure 7. Moment distribution in the specimen

Moment distribution factors:

$$fd_1 = fd_3 = \frac{k_1}{k_1 + k_2 + k_3 + k_4} = \frac{4}{4 + 6,4 + 4 + 6,4} = 0,19; \quad fd_2 = fd_4 = \frac{k_2}{\sum k} = \frac{6,4}{4 + 6,4 + 4 + 6,4} = 0,31$$

$$M_1 = M_3 = 0,19 (800) = 152 \text{ kNm}; \quad M_2 = M_4 = 0,31 (800) = 248 \text{ kNm}$$

Mn1 reinforced bar = 102,54 kNm

Mn of strand tendon :

$$X = a/\beta_1 = 82,4/0,77 = 107 \text{ mm}; \quad e = 282 - 107 = 175 \text{ mm}; \quad Mn2 = F(e) = 379 (175) \cdot 10^{-3} = 66,33 \text{ kNm}$$

$$Mn = Mn1 + 25\%(Mn2) = 85,96 + 0,25(66,33) = 102,54 \text{ kNm} < 152 \text{ kNm (OK).}$$

Calculate the Strong Column-weak beam requirement : $M_e = 248 \text{ kNm}; \quad M_g = 102,54 \text{ kNm}$

Requirements of SNI 03-2847-2002 part 23.4.2 (2) :

$$M_e \geq 6/5 M_g, \text{ accordingly } 248 \geq 6/5 (102,54) \rightarrow 248 \text{ kNm} > 123,05 \text{ kNm} \dots (\text{OK})$$

Shear Stirrups Design in the Joint

According to the provisions of SNI 03-2847-2002 part 23.4.4) :

$$A_{sh} = 0,3 \left(\frac{s \cdot h_c \cdot f'_c}{f_{yh}} \right) \left[\left(\frac{A_g}{A_{ch}} \right) - 1 \right] \quad \dots \dots \dots (3.1)$$

$$\text{Or } A_{sh} = 0,09 \left(\frac{s \cdot h_c \cdot f'_c}{f_{yh}} \right) \quad \dots \dots \dots (3.2)$$

stirrups $\varnothing 10$, 40 mm concrete cover

$$A_{ch} = (320)(320) = 102400 \text{ mm}^2, \quad h_c = 320 - 2(0,5 \cdot 10) = 310 \text{ mm}.$$

Stirrup spacing S is taken 50 mm.

$$A_{sh} = 0,3 \left(\frac{50 \cdot 310 \cdot 40}{400} \right) \left(\frac{160000}{102400} - 1 \right) = 261,56 \text{ mm}^2$$

$$\text{or } A_{sh} = 0,9 \left(\frac{50 \cdot 310 \cdot 40}{400} \right) = 139 \text{ mm}^2, \text{ used a great value,}$$

1 bar area $\varnothing 10$, $A_s = 78,5 \text{ mm}^2$,

the amount of stirrups $= 261,56 / 78,5 = 3,33$ it takes 4 stirrups,

but because $S = 50 \text{ mm}$, and height of the beam space

$$= 400 - 2(35) - 2(8) - 2(13) = 288 \text{ mm},$$

we used amount of stirrups $= 288 / 50 = 5,76$;

Applied 6 pieces rounded stirrups with $A_{sh} = 471 \text{ mm}^2$

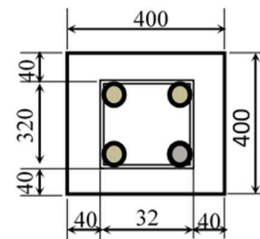


Figure 8. Stirrups position

Calculating the shear strength of joint.

Above beam reinforcement is 5D13 with $A_s = 663,7 \text{ mm}^2$. 3D13 reinforcement in bottom beam with $A_s = 398,2 \text{ mm}^2$

Effectively the high block requirements for concrete compressive stress is partially prestressed concrete $a = 0,235d \leq 0,25h$ s/d 0,25 h, then taken : $a = 0,235 (350,5) = 82,4 \text{ mm} \leq 0,25 \cdot 400 \rightarrow 82,4 \text{ mm} < 100 \text{ mm} \dots (\text{OK})$

As-as Column high = 3,0 m

$$V_{col} = \frac{2T_b \cdot Z_b + V_b \cdot h_c}{l_c} \text{ from the equation} \quad \dots \dots \dots (2.7)$$

$$V_{jh} = V_{col} \left(\frac{l_c}{Z_b} - 1 \right) - V_b \left(\frac{h_c}{Z_b} \right) \text{ from the equation } \dots\dots (2.8)$$

$$V_b = 0,4 \cdot 0,25 \cdot 24(1,6) + 192/1,6 = 123,84 \text{ kN}$$

$$V_{col} = \frac{102,54 + (398,2 \cdot 400) \left(\frac{365 - 82,4}{2} \right) 10^{-6} + 123,84(0,4)}{3,0} = 68 \text{ kN}$$

$$V_{jh} = 68 \left(\frac{3,0}{0,3238} - 1 \right) - 123,84 \left(\frac{0,4}{0,3238} \right) = 409 \text{ kN}$$

Shear strength at the joint.

Are Calculated of the nominal strong concrete and reinforcement in the joint stirrups

$$V_{jh} = V_{ch} + V_{sh} \text{ from the equation } \dots\dots\dots (2.9)$$

$$V_n \leq 12\sqrt{f'_c} \cdot A_j \text{ from the equation } \dots\dots\dots (2.3)$$

The equation 2.4 is applicable for Beam-Column Joint frame field.

High joint taken = Column high = 400 mm, the effective width taken of the smallest value: beam width (b), or b + 2X; X = difference thick outer edge of the beam to the column. b+h = 250 + 400 = 650 mm; b+2X = 250 + 2(75) = 400 mm, taken effective width = 325 mm. then $A_j = 400(325) = 130000 \text{ mm}^2$.

$$V_n \leq 12\sqrt{40} \cdot 130000 \cdot 10^{-3} = 9866,3 \text{ kN}$$

Reduction factor of 0.55 according to SNI 2847:2013 section 11.3 (3) (a) for the structure to withstand earthquake forces. $V_{ch} = \phi \cdot V_n = 0,55(9866,3) = 5426,5 \text{ kN}$

$$V_{sh} = \phi \cdot A_{sh} \cdot f_{yh} = 0,55(471)400 \cdot 10^{-3} = 103,62 \text{ kN}$$

$$V_{jh} = V_{ch} + V_{sh} = 5426,5 + 103,62 = 5530,12 \text{ kN} \dots (\text{OK})$$

But the decisive factor is the smallest $v_{jh} = 409 \text{ kN}$.

Test specimens in laboratory.

Test specimens was performed by laboratory testing machine, where the specimens were installed tool: Linear Variable Displacement Transducer (LVDT) on the vertical and horizontal displacement to measure deformation (displacement) that occurred. To detect strains occurs in both the beam or the column, then at certain points-installed strain gauge (SG). Loading pattern is Cyclic loading pattern (pseudo dynamic) that resembles a real earthquake lateral loads, driven actuator with a capacity of 2000 kN. For the vertical load on the column is static loading capacity of 1000 kN.

Structures ductility.

Calculated from yield condition due to cyclic loading on the lateral drift ratio of 3.50% and 4.50%. When the value of the yield conditions = δ_y and the stable condition = δ_i , accordingly ductility level $\mu = \delta_y / \delta_i \geq 4.0$

4. RESULTS AND DISCUSSION

To get accurate data from Beam-Column Joint research is then mounted several sensors at the points that are important to the tool, including the form; LVDT, (SG). Each outcome data at every point in the form of graphs will be presented sequentially. Results analysis Test Specimens at peak Interior Column. For the beam-column joint specimens Interior, the Static Axial load on a given column by vertical actuator load capacity by 10 % Column = 10% (400x400) $40 \times 10^{-3} = 640 \text{ kN}$. Set-up Specimen and testing process is shown in the following figure



Figure 9. Set-up Specimen and testing process

1. Load Structure resist capability at Joint Shears.

From reading the data strain-gauge (SG) in a row: SG-13 (reinforcement columns) + SG-16 (Transversal Scroll) + SG-25 (Strand Tendons) + SG-40 (Concrete Column). Lateral Compression Forces = $142,3 \text{ kN} + 142,3 \text{ kN} + 44,3 \text{ kN} + 142 \text{ kN} = 470,9 \text{ kN}$.

Lateral Pull Forces = $135 \text{ kN} + 138 \text{ kN} + 58,5 \text{ kN} + 134,3 \text{ kN} = 465,8 \text{ kN}$.

$V_{jh} \text{ plan} = 409 \text{ kN}$, the ability resist lateral test force results of Specimen :

Press = $470,9 \text{ kN}$ and Pull = $465,8 \text{ kN}$. All of them $> 409 \text{ kN} \dots (\text{OK})$

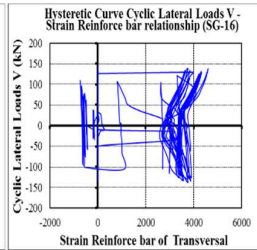
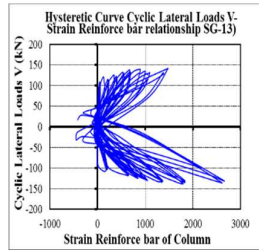


Figure 10. Relationships curve Cyclic Lateral V-Strain Reinforce (SG-13 and SG-16)

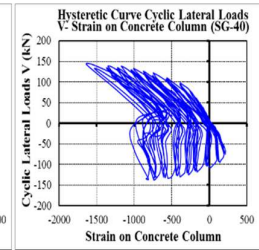
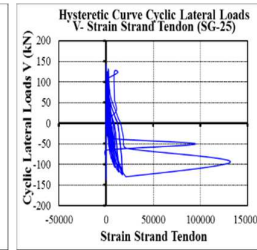


Figure 11. Relationships curve Cyclic Lateral V-Strain Strand and on Concrete Column (SG-13 and SG-16)

2. Ductility of Structure.

At Drift Ratio 3.50% 3rd Cycle - yield boundary conditions.

While working force of the cyclic press: $\delta y = 3.56$ mm

Stable condition at Drift ratio of 1.0% the first cycle, $\delta i = 0.62$ mm.

The level of ductility $\mu = \delta y / \delta i \geq 4.0$; $\mu = 3.56 / 0.62 = 5.74 > 4.0 \dots$ (OK)

While working cyclic tensile force: $\delta y = 2.64$ mm

Stable condition at Drift ratio of 1.0%, $\delta i = 0.53$ mm.

The level of ductility $\mu = \delta y / \delta i \geq 4.0$; $\mu = 2.64 / 0.53 = 4.98 > 4.0 \dots$ (OK)

5. CONCLUSIONS

The results of Analyze beam-column joint of Specimen interior were as follows:

1. Strong Joint Shear.

Results: Strong Shear Joint Press = 470.9 kN; Strong Shear Pull = 465.8kN

Planning Result = 409kN

Experimental Results > Results of Planning. Structure are qualified

2. Ductility:

The requirements ductility on drift ratio of 3.5% of all $\mu > 4.0$, so the ductility of structure meet is qualified.

Remarks

In general, the model structure is eligible at 3.50% Story Drift has qualified. So this research, strong Joint Shear and ductility qualified and acceptable.

Acknowledgement

Our gratitude to LPPM-ITS for assistance fund through Outstanding ITS Research, Research DITLITABMAS Decentralization Program, National Development University "Veteran" East Java which has given me the opportunity to study in the S3 ITS.

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